## Topic Test 1 Mark Scheme

Angles - Higher

| Q Answer | Mark | Comments |
| :---: | :---: | :---: | :---: |


| 1 | Alternative method 1 |  |  |
| :---: | :---: | :---: | :---: |
|  | 180-72-72 or 36 | M1 |  |
|  | 90 - their 36 or 54 | M1dep |  |
|  | $(180-$ their 54$) \div 2$ | M1dep |  |
|  | 63 | A1 |  |
|  | Alternative method 2 |  |  |
|  | $x+x+72+72+90=360$ | M1 |  |
|  | $2 x=360-72-72-90$ | M1dep |  |
|  | $2 x=126$ <br> or $(360-72-72-90) \div 2$ | M1dep |  |
|  | 63 | A1 |  |


| 2 | angle $A C B=(180-48) \div 2$ or <br> angle $A C B=66$ <br> (base angles of isosceles triangle) | M1 |  |
| :---: | :--- | :---: | :--- |
|  | angle $B C D=$ angle $A B C=66$ <br> (alternate angles) | M1 |  |
|  | angle $B C D=$ angle $C D B$ so triangle <br> $B C D$ is isosceles | A1 | Must give full reasons throughout |


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| 3(a) | angle $B E F=3 x$ | M1 |  |
| :---: | :---: | :---: | :---: |
|  | $5 x+$ their $3 x+x=180$ or $9 x=180$ | M1dep |  |
|  | 20 | A1 |  |
| 3(b) | Alternative method 1 |  |  |
|  | $\begin{aligned} & \text { angle } A B E(\text { or angle } F B C)=(180-5 \\ & \times \text { their } 20) \div 2 \text { or } 40 \end{aligned}$ | M1 |  |
|  | angle $A B E \neq$ angle $D E G$ (or $B E F$ ) <br> and $N o$ <br> or <br> angle $C B F \neq$ angle $E F B$ and No | A1ft | ft their angle from part (a) |
|  | Alternative method 2 |  |  |
|  | Assumes lines are parallel and angle $A B E=3 \times$ their 20 or 60 and angle $C B F=$ their 20 | M1 |  |
|  | angle $A B E \neq$ angle CBF and No | A1ft | ft their angle from part (a) |


| 4 | $2 x+x+12+40+x=180$ or $180-2 x-(x+12)=40+x$ or $180-40-x=2 x+x+12$ | M1 |  |
| :---: | :---: | :---: | :---: |
|  | $4 x=180-12-40 \text { or } 4 x=128$ or $x=32$ | M1dep |  |
|  | $180-40 \text { - their } 32$ <br> or $2 \times \text { their } 32+\text { their } 32+12$ | M1dep |  |
|  | 108 | A1 |  |


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| 5 | Alternative method 1 |  |  |
| :---: | :---: | :---: | :---: |
|  | $3 x+15=4 x$ (vertically opposite angles) | M1 |  |
|  | $x=15$ | A1 |  |
|  | ```angle ABE =8\times their 15 or 120 and angle BED = 4 x their 15 or 60``` | M1 |  |
|  | angle $A B E+$ angle $B E D=180$ and are allied (or interior) angles, so AC and DF are parallel | A1 | Must give full reasons throughout |
|  | Alternative method 2 |  |  |
|  | $3 x+15=4 x$ (vertically opposite angles) | M1 |  |
|  | $x=15$ | A1 |  |
|  | angle $F E M=3 \times$ their $15+15$ or 60 and angle $C B E=180-8 \times$ their 15 or 60 | M1 |  |
|  | angle $F E M=$ angle $C B E$ and are corresponding angles so AC and DF are parallel | A1 | Must give full reasons throughout |

